

T-CGAN

Conditional Generative Adversarial Network for Data Augmentation in Noisy Time Series with Irregular Sampling

20 Nov 2018, arXiv

Introduction

- For many time series data, there are **only small labeled datasets are available**.
- Solution: perform data augmentation to create synthetic data to increase the size of datasets.
- Data augmentation for time series has been limited to mainly two relatively simple techniques: **time slicing** and **time warping**.
- Time slicing: Cropping slices from time series and performing classification at the slice level.
 - Cutting the time series tends to **remove temporal correlation** in the data.
- Time warping: Warping a randomly selected slice of a time series by stretching it.
 - Not suitable for datasets whose time scale has special meaning.

Introduction

- TCGAN:
 - **Generating new irregularly-sampled time series**
 - Conditioning the generator and discriminator with the **timestamps**.
 - Assume that the time series is noisy.

Introduction

- **Experiment:**
 - Synthetic scenario: **Compare the performance** of a classifier trained with data generated by T-CGAN against the performance of the same classifier trained on the original data.
 - Real-world: consider an **unbalanced-class classification problem** and we use the T-CGAN to generate time series in the class which features the smaller training set, so as to move to a perfectly balanced setting

Technical Background

- GAN: **Generator** (capture data distribution) + **Discriminator** (identify the source of a sample)

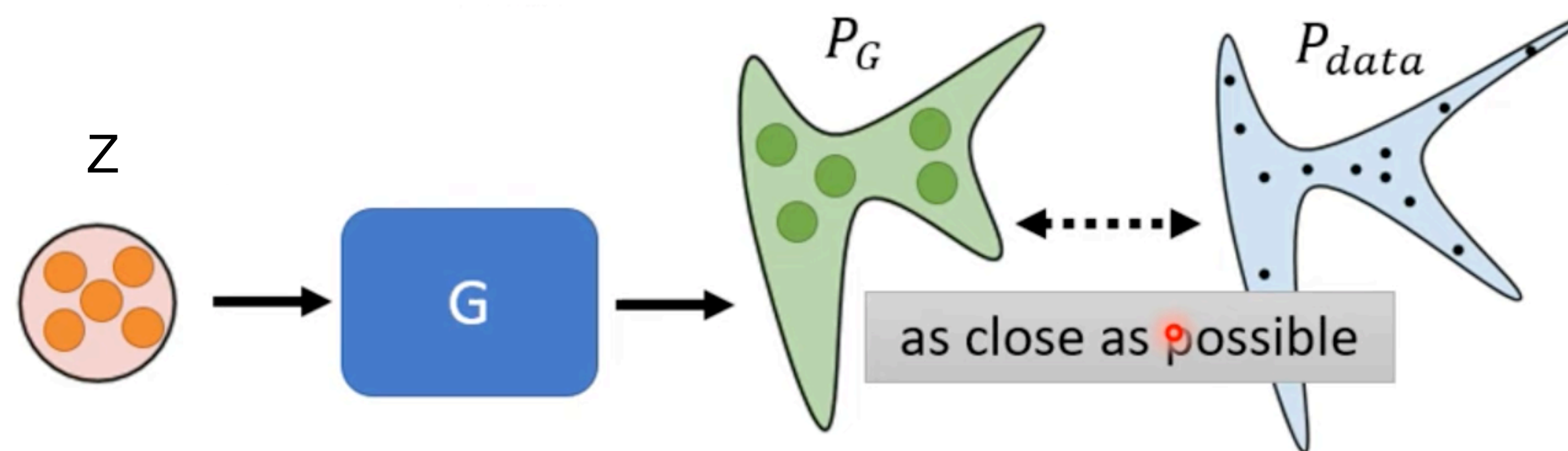
- Objective function: $G^* = \min_G \max_D V(D, G)$

$$V(D, G) = E_{x \sim p_{data}} [\log D(x)] + E_{x \sim p_G} [\log(1 - D(G(x)))]$$

- CGAN: GAN conditioned on extra information y

- Objective function: $G^* = \min_G \max_D V(D, G)$

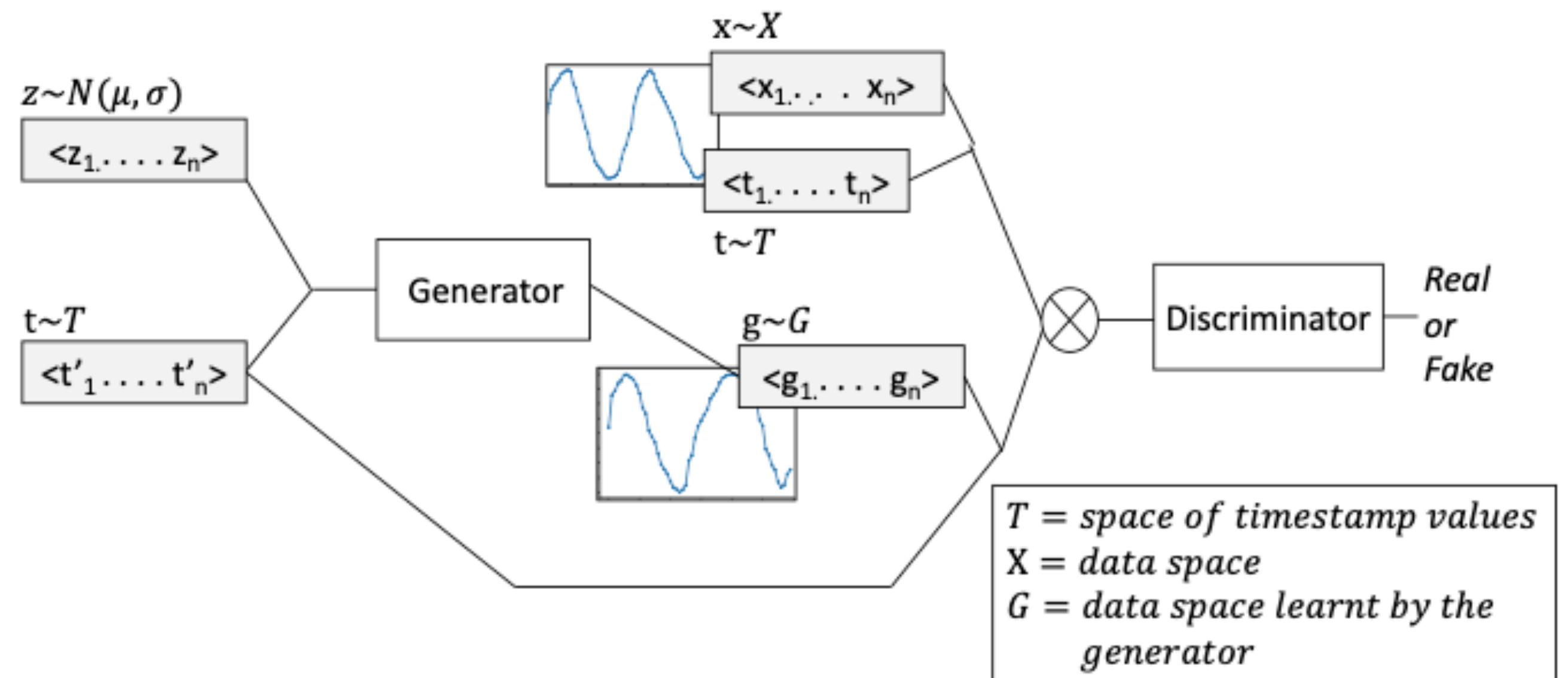
$$V(D, G) = E_{x \sim p_{data}} [\log D(x | y)] + E_{x \sim p_G} [\log(1 - D(G(x | y)))]$$



T-CGAN Model

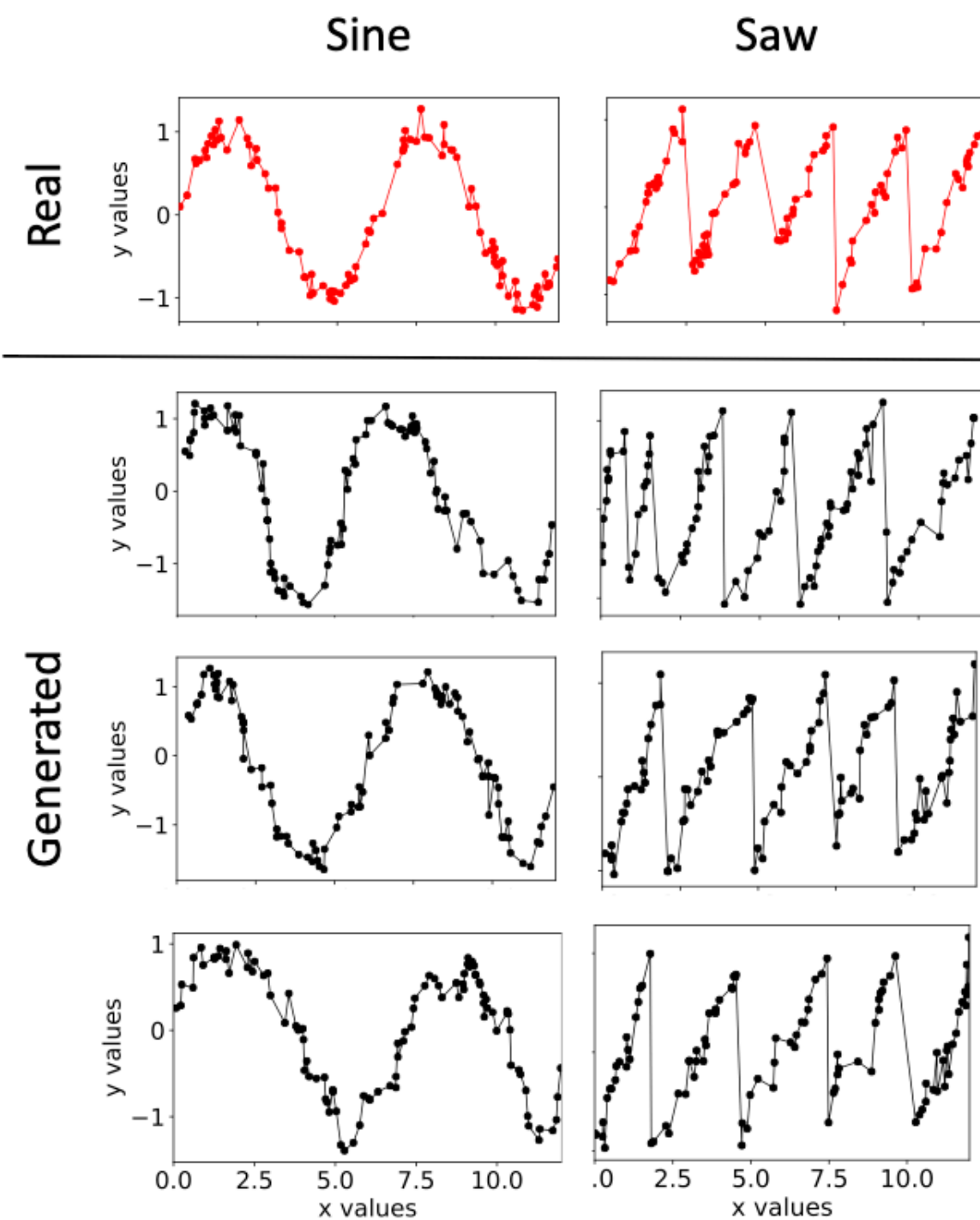
- Generator, Discriminator: two CNNs
- Z : a noisy space used to seed the generative model
- The objective function of T-CGAN:

$$\min_G \max_D V(D, G) = E_{x \sim p_{data}(x)} [\log D(x | t)] + E_{z \sim p_z(z)} [\log(1 - D(G(z | t)))]$$

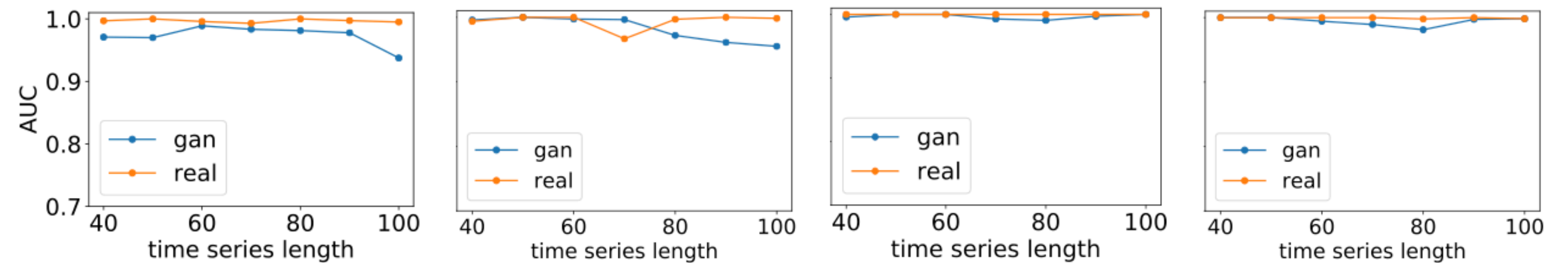


Experiments

- 10-fold randomization
- Use Area Under Receiver Operating Characteristic Curve (AUROC) to evaluate performances
- Synthetic data: sine waves and sawtooth waves



Classifier performance train on synthetic data and original data



(a) Training set size = 40 (b) Training set size = 60 (c) Training set size = 80 (d) Training set size = 100

Experiments

- Real-world data
 - Classification on regularly sampled time series.
 - Starlight curves: classify objects by their astronomical light curve.
 - Power Demand: distinguish days from summer and winter by power demand time series.
 - ECG200: distinguish heartbeat from normal and myocardial infarction by electrical activity records.

Dataset	Real data	Time Slicing	Time Warping	T-CGAN
Starlight curves	0.7127 \pm 0.1371	0.7534 \pm 0.0082	0.9840 \pm 0.0099	0.9851 \pm 0.0156
Power Demand	0.6211 \pm 0.1762	0.7152 \pm 0.0932	0.7988 \pm 0.0836	0.8336 \pm 0.1553
ECG200	0.7014 \pm 0.0335	0.6666 \pm 0.0836	0.7227 \pm 0.0391	0.7882 \pm 0.0122

Experiments

- Randomly removing a certain amount of data from each series.
- Classification on irregularly sampled time series.

Table 5: AUROC reached by each method over the different experimental scenarios, in case of irregular sampling (20% missing data, randomly selected), averaged over 10 repetitions.

Dataset	Real data	Time Slicing	Time Warping	T-CGAN
Starlight Curves	0.6798 ± 0.0222	0.5200 ± 0.0041	0.9508 ± 0.0041	0.9750 ± 0.0040
Power Demand	0.5011 ± 0.0042	0.5020 ± 0.1240	0.5322 ± 0.0053	0.6999 ± 0.0356
ECG200	0.5724 ± 0.2410	0.5233 ± 0.0210	0.6474 ± 0.0341	0.7202 ± 0.0546

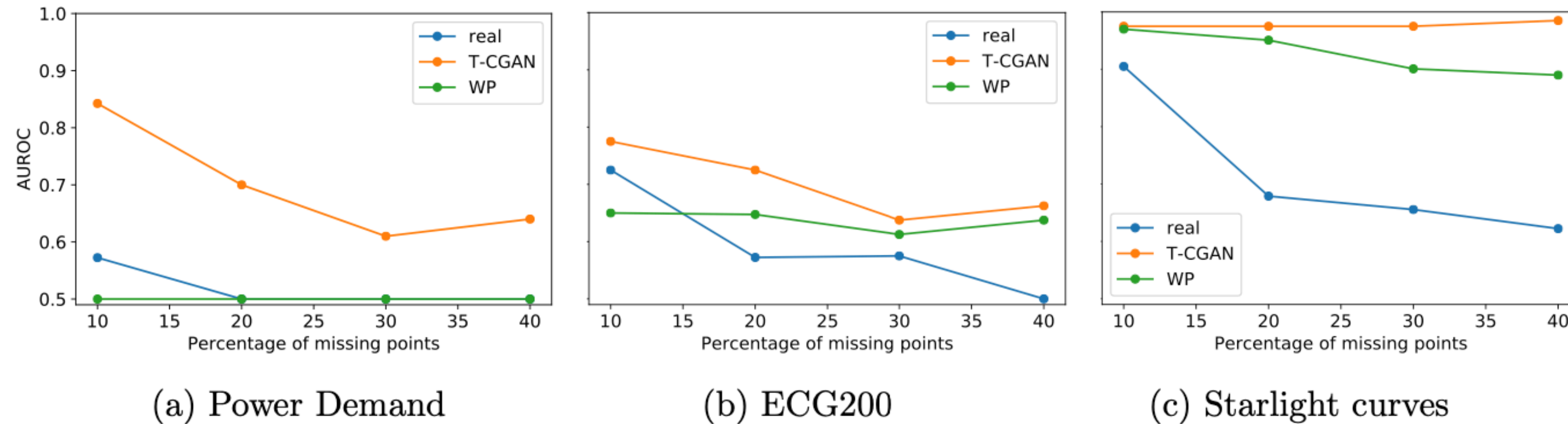


Figure 4: AUROC with varying percentage (10%, 20%, 30%, 40%) of missing values for the three datasets without augmentation (real) and with augmentation through time warping (WP) and T-CGAN (gan).